# Secondary Crash Identification on A Large-scale Highway System

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# 1 ABSTRACT

2 The annual cost of congestion in the United States reportedly exceeds 120 billion (1). 3 Freeway incidents are major sources of non-recurrent congestion and the resulting secondary 4 crashes can prolong the traffic impact and increase the cost. Research on secondary crashes to 5 support statewide transportation system management has been limited. In the current study, a 6 two-phase automated procedure is developed to identify secondary crashes on large scale 7 regional transportation systems. In the first phase, a crash pairing algorithm is developed to 8 extract spatially and temporally near-by crash pairs. The accuracy and efficiency of the algorithm 9 were validated by comparing to an ArcGIS based program. In the second phase, two filters are 10 proposed to reduce the crash pairs for secondary crash identification: the first filter selects crash pairs whose earlier crashes were on mainline highways; the second filter selects crash pairs 11 12 whose later crashes happened within the dynamic impact areas (i.e., backup queues) of the 13 earlier crashes. Shockwave theory is used to model the dynamic impact of a primary incident. The two-phase procedure uses a linear referencing system for crash localization and can be 14 15 applied to any regional transportation system with a similar data structure. A case study was 16 conducted on nearly 1,500 miles of freeways in Wisconsin using 2010 data. Among the crash pairs produced by the two-phase procedure, 79 secondary crashes were confirmed via police 17 18 reports. Preliminary analyses showed that 1) secondary crashes occurred in the same traffic 19 direction as the primary incidents were about three times greater in frequency compared to secondary crashes in the opposing direction, and 2) two-vehicle rear-ends, multiple-vehicle rear-20 21 ends, and sideswipes were three major types of secondary crashes (over 85%).

# 1 INTRODUCTION

A secondary crash is an undesirable consequence resulting from a primary incident. More formally, according to the Federal Highway Administration (FHWA), "secondary crashes are those that occur with the time of detection of the primary incident where a collision occurs either a) within the incident scene or b) within the queue, including the opposite direction, resulting from the original incident" (2). Existing studies have shown the extended traffic impact and the economic costs of secondary crashes (3–5). Reducing the chances of secondary crashes becomes a major consideration in the dispatch plans of traffic incident management (TIM) agencies (6, 7).

9 In spite of various findings on secondary crashes, most existing studies were limited by scope. Many studies were conducted on only one or two sample freeways or a short segment of 10 highway; other studies extended the scope to freeways but considered a small regional scale. 11 12 Only two studies were performed at a large scale that involved statewide highway systems. One 13 of the major reasons for such scope constraints was the challenge of secondary crash 14 identification. In order to identify secondary crashes accurately, most existing studies considered 15 the dynamic features of the traffic impact caused by the primary incidents. Thus, the study 16 scopes were limited to highway facilities where high resolution traffic data were available for 17 dynamic analyses. In addition, modeling the dynamic impact of primary incidents required considerable computational efforts, which for a statewide transportation system could be 18 19 intolerable or even infeasible. Previous studies considering statewide highway systems did not 20 consider the dynamic impact of primary incidents. In summary, none of the previous studies 21 investigated secondary crashes on a statewide transportation system while considering the 22 dynamic impact of primary incidents.

23 To fill the above research gap, the current study develops a two-phase automatic 24 procedure. In the first phase, spatially and temporally near-by crash pairs (up to custom static 25 thresholds) are extracted from a large network based on a crash pairing algorithm. The accuracy and the efficiency of this algorithm were validated. In the second phase, two filters are used to 26 27 select crash pairs that are more likely to be primary-secondary crash pairs. One of the filters utilizes shockwave theory to evaluate the dynamic traffic impact of the primary incidents. At the 28 29 end of the two-phase procedure, manual review of identified police reports is needed to confirm 30 actual secondary crashes. However, the number of crash reports to review is considerably less.

# 31 LITERATURE REVIEW

32 Secondary crashes have been observed to be one of the notable consequences of freeway 33 incidents. Early in 1970s, Owens conducted an on-the-spot study of traffic incidents on a 21 34 kilometer (13 mile) stretch of motorway in England during peak hours and found that 32.5% of 35 the observed crashes were related to primary incidents (8). In recent decades, the development of 36 intelligent transportation systems (ITS) has made a variety of transportation data easier to access, 37 which in turn has encouraged researchers to revisit secondary crashes. In earlier studies (3-5, 9-38 17), an incident was identified as a secondary crash as long as it occurred within a rectangle 39 time-space window originated from another incident. For example, Raub classified an incident as 40 a secondary crash if it happened within 1,600 meters upstream of another incident and no later than 15 minutes after that incident was cleared (9, 10). This method type was called static 41 thresholds in the sense that it considered the spatial impact range of a primary incident to be 42 43 consistent throughout a certain time period. However, the impact of a traffic incident is typically dynamic with respect to time. Later studies incorporated this fact in secondary crash 44

1 identification (18-29). The earliest attempt was made by Moore et al. who classified an incident as a secondary crash only if it fell under the progression curve (i.e., the resulting queue boundary 2 3 as a function of time based on real-time queue end tracking data) of another incident (5). Curves 4 with a similar concept were generated using the traffic arrival-departure model in other studies 5 (20-22, 24). In fact, these dynamic curves only depicted the moving queue fronts, but did not 6 consider the queue release from the incident location since the onset of incident clearance. To 7 accommodate the releasing front, researchers have used either the speed contour map method or 8 the ASDA model to depict the impact area of an incident (19, 23, 25-29). However, shockwave 9 theory, which can also model the queuing and the releasing dynamics, has not been used in the 10 literature for secondary crash identification.

11 Research on secondary crashes at the scale of a statewide transportation system has been 12 limited. A majority of the existing studies focused on one or two sample freeways or only a 13 stretch of a highway of which detailed traffic conditions could be obtained through densely 14 deployed traffic detectors, closed circuit traffic cameras (CCTV), or even aircraft based 15 congestion tracking systems (4, 14, 16, 18, 19, 23, 25-28). Some other studies extended the 16 research scope to several freeways or urban arterials within a fully patrolled and ITS assisted 17 district (3, 5, 9, 10, 12, 13, 20-22, 24, 29). Only a few studies were conducted on statewide 18 transportation systems (11, 17). Identifying all spatially and temporally near-by crash pairs from 19 a large highway network, and hence a significant amount of input crashes, could be 20 computationally complex. None of the above studies provided an efficient procedure.

Based on the above literature review, two primary objectives of the current study were set. First, an efficient algorithm to identify all near-by crash pairs (up to custom static thresholds) for a statewide transportation system should be developed. Second, in order to reduce the candidate primary-secondary crash pairs based on the static thresholds, additional filters that incorporate the dynamic feature of primary incident impact should be established.

# 26 DATA DESCRIPTION

27 The WisTransPortal Data Hub of the Traffic Operations and Safety (TOPS) Laboratory at 28 the University of Wisconsin – Madison houses a variety of statewide transportation data prepared 29 and provided by the Wisconsin Department of Transportation (WisDOT) (30, 31). Among these 30 data, the State Trunk Network (STN) data and the crash data are the two primary inputs to the 31 current study. The STN includes the state trunk highways (STH), the US highways (US), the 32 interstates highways (IH), the designated freeways, and the expressways in Wisconsin as of 2012 33 (32). The crash data cover all reported crashes in Wisconsin since 1994 and are updated monthly. 34 WisDOT provides both the maps (i.e., Esri shapefiles) and the database records of STN and 35 crashes. WisDOT also embeds a linear referencing system in the crash records to allow locating a 36 crash on the STN without using the maps. For the proposed algorithm, the database records with 37 the linear referencing system were used. The maps were used for validation and comparison 38 purposes.

### 39 STN Links and Linear Referencing

A traditional way of modeling highway networks is a figure that consists of nodes and
directional links. The STN is stored in this manner. Nodes in STN are called reference sites (RS).
Each link in the STN starts from one RS (RS<sup>from</sup>) and ends at another RS (RS<sup>to</sup>). A link represents
a highway segment, either mainline or ramp, in one traffic direction with relatively consistent

geometric layout (e.g., number of lanes, lane width, etc.). Figure 1 illustrates how a small portion of a highway network is represented in the STN. Links are displayed as solid arrows with their lengths. RS's are labeled in circles. An arbitrary location on the STN, for example a crash scene, is determined by a linear coordinate [*link id*, *link offset*], namely linear referencing. The *link id* tells in which link the crash occurred and the *link offset* tells the distance from the link's RS<sup>from</sup> to the crash. As of the year 2012, the total number of in-operation links is 33,015 and the total length is 24,903 miles.

8



#### **Example distances:**

d(A,B) = (0.8 - 0.15) + 0.2 + (0.3 - 0.05) = 1.1 miles

d(B,C) = 0.3 - 0.05 - 0.1 = 0.15 miles

9

# 10

#### FIGURE 1 Illustration of the linear referencing system.

#### 11 Crash Records

WisTransPortal stores each reported crash in Wisconsin as a record in the database. Each crash record contains detailed information about the crash, such as a unique identification number, date, time, link id and link offset of the crash location (for linear referencing). Also, each crash record is associated with a document id that links the crash to its police report form MV4000. The MV4000 form provides additional information such as the police investigation with a crash diagram.

#### 18 Other Data

In addition to the STN links, WisTransPortal also stores other highway information. For example, all the routes in STN are stored in a table, each record representing the entire stretch of a highway route and its geographical direction (e.g., US 12 East Bound); virtual mile markers are stored as reference points. Traffic data are also available. WisDOT manages the TRaffic DAta System (TRADAS) and the Advanced Transportation Management System (ATMS), with traffic
 detectors deployed on the STN. WisTransPortal contains information of these TRADAS and

3 ATMS detectors as well as their traffic counts.

# 4 FIRST PHASE: CRASH PAIRING ALGORITHM

Given the STN linear referencing system and the crash records, the target of the crash pairing algorithm is to identify all crash pairs  $(c_i, c_j)$  that satisfy Formulas 1 and 2. In Formula 2,  $d(c_i, c_j)$  is measured along the STN links by treating the links as bi-directional (see examples in Figure 1). Highway splits, merges, and intersections should be accommodated, which was not addressed by previous studies focusing on individual freeways.

#### 10

$$0 \le t(c_i) - t(c_i) \le T \tag{1}$$

$$d(c_i, c_j) \le D \tag{2}$$

where,

 $C_i$  = Crash *i*, the former crash;

 $C_i$  = Crash *j*, the later crash;

t(c) = The time of crash c since an early time origin, min;

 $d(c_i, c_j)$  = The network distance between crash  $c_i$  and  $c_j$ , mile;

T = The time window (threshold), min;

D = The space window (threshold), mile.

11

12 Given the significant sizes of the STN links and the crashes, simple algorithms are either 13 slow or infeasible. One naïve algorithm is to run Dijkstra's method repeatedly for every crash. 14 Dijkstra's method is an iterative approach that finds the shortest path from an origin to every 15 node in a network. Djikstra's method can be briefly summarized as follows: All nodes are 16 considered to be infinitely distant from the origin and "unvisited" initially. The method begins 17 from the origin and computes the distances to its neighbors (i.e., nodes with direct connection) 18 and marks the origin as "visited". In every successive iteration step, the method chooses the 19 closest "unvisited" node to the origin, updates the distances from the origin to that node's 20 "unvisited" neighbors if the paths become shorter through that node, and marks that node as 21 "visited". The iteration continues until every node is "visited". At the end, the distances from the 22 origin to each node are the shortest distances (33). The complexity of Dijkstra's method is  $O(N^2)$ 23 in respect to N crashes, where N is larger than 100,000 for an annual statewide analysis. By 24 repeatedly using Dijkstra's method for N crashes, the complexity of the naïve algorithm becomes 25  $O(N^3)$ , which is not efficient. Another alternative is to use dynamic programming to populate a 26 shortest path matrix between every two crashes. This alternative is infeasible because it not only 27 spends an equivalent amount of computation time as the first algorithm but also requires 28 unacceptable computer memory space (e.g.,  $100,000^2 * 8$  bytes  $\approx 75$  GB) to store the matrix.

The proposed pairing algorithm first analyzes the relationships between links and uses these relationships to derive crash-to-crash distances. For each link,  $lk_i$ , that contains one or more crashes, the algorithm performs a variant of Dijkstra's traversal (as will be explained later) and

32 generates the relationships between  $lk_i$  and the other links. The distances between crashes are

1 then calculated based on these relationships. Compared to the first algorithm mentioned above,

2 the number of traversals is bounded by the total number of links no matter how many crashes are

analyzed. The pairing algorithm also utilizes the *D* mile space window to constrain the Dijkstra's
 traversal to a relevant portion (normally small) of the STN network. In the following subsections,

5 the concept of a local linear coordinate system is introduced, based on which the relationship

between two links can be comprehensively defined. Additionally, the equation to derive crash-

- 7 to-crash distance from the link-to-link relationship is also given, along with the concept of a
- 8 candidate link that is used to constrain the Dijkstra's traversals, the pseudo code of the algorithm
- 9 with special case explanation, and finally, the validation of this algorithm.

10 Local Linear Coordinate System

11 A local linear coordinate system (LLCS) is defined for each link, namely a **base link**, to 12 describe the spatial relationship between any RS and the base link. Let  $RS_{base}^{from}$  and 13  $RS_{base}^{to}$  denote the from-reference-site and the to-reference-site of the base link. Under the LLCS, 14 each RS in the network has a two-fold coordinate with the following definitions:

- Forward (positive) coordinate (x<sup>+</sup><sub>RS</sub>) = the length of the base link + d(RS<sup>to</sup><sub>base</sub>, RS)| RS<sup>from</sup><sub>base</sub>. d(RS<sup>to</sup><sub>base</sub>, RS)| RS<sup>from</sup><sub>base</sub> is the shortest network distance between RS<sup>to</sup><sub>base</sub> and RS in a sub-network without RS<sup>from</sup><sub>base</sub> (and links connected it). If d(RS<sup>to</sup><sub>base</sub>, RS)| RS<sup>from</sup><sub>base</sub> does not exist, x<sup>+</sup><sub>RS</sub> = +∞. Specially, x<sup>+</sup><sub>RS<sup>from</sup><sub>base</sub> is defined as 0.
  </sub>
- Backward (negative) coordinate  $(\bar{x}_{RS}) = d(RS_{base}^{from}, RS)|RS_{base}^{to} \cdot d(RS_{base}^{from}, RS)|RS_{base}^{to} \cdot d(RS_{base}^{from}, RS)|RS_{base}^{to} \cdot d(RS_{base}^{from}, RS)|RS_{base}^{to}$ 20 RS)|RS\_{base}^{to} is the shortest network distance between  $RS_{base}^{from}$  and RS in a sub-21 network without  $RS_{base}^{to}$  (and links connected to it). If  $d(RS_{base}^{from}, RS)|RS_{base}^{to}$  does 22 not exist,  $\bar{x}_{RS} = +\infty$ . For example,  $\bar{x}_{RSbase}^{-} = +\infty$ .

As an example, in Figure 1, consider  $RS_{12}$  under the LLCS of  $link_{3,4}$  (as the base link).  $x_{RS_{12}}^{+} = 0.8 \ (link_{3,4}) + 0.2 \ (link_{4,4}I_4) + 0.3 \ (link_{14,4}I_3) + 0.55 \ (link_{13,4}I_2) = 1.85 \ \text{miles}. \ x_{RS_{12}}^{-} = 0.2 \ (link_{9,3}) + 0.4 \ (link_{10,9}) + 0.4 \ (link_{12,4}I_0) = 1.0 \ \text{mile}.$ 

A variant of the Dijkstra's shortest path traversal can be used to calculate the LLCS coordinates of all RS's on the fly. The traversal is divided into two passes. In the first pass, the Dijkstra's algorithm starts from  $RS_{base}^{to}$  and expands to the rest of the network while ignoring all links connected to  $RS_{base}^{from}$ . During the traversal, the forward coordinates of all reached RS's are calculated or updated. Similarly, in the second pass, the Dijkstra's algorithm starts from  $RS_{base}^{from}$ and ignores all links connecting to  $RS_{base}^{to}$ , filling the backward coordinates of all reached RS's.

In the context of a LLCS, any link (including the base link) is related to the base link by the LLCS coordinates of its  $RS^{from}$  and  $RS^{to}$ . Specifically, let a link to be related to the base link be called a *test link* and its end RS's be denoted as  $RS_{test}^{from}$  and  $RS_{test}^{to}$ . Vector  $v_{test} =$  $\begin{bmatrix} x_{RS_{test}}^{+}, x_{RS_{test}}^{-}, x_{RS_{test}}^{+}, x_{RS_{test}}^{-} \end{bmatrix}$  is defined as the relationship vector of the test link in the LLCS. With the relationship vector, the network distance between a crash  $c_{base}$  on the base link and a crash  $c_{test}$  on a test link can be easily calculated using Equations 3-7. Since the four coordinates in the relationship vector might result from different routings, there could be four possible crash-

1 to-crash distances (Equations 4-7) whose geometric meanings are demonstrated in Figure 2. The 2 final crash-to-crash distance should be the smallest possible distance. Besides the distance value, 3 one can also tell if the two crashes were in the same traffic direction. For example, if the final 4 distance is  $d_F^+$  (upper right case in Figure 2), the centerline of the resulting route is bolded and 5 the traffic directions of both crashes (green arrows) are on the same side of the centerline, 6 meaning the two crashes (or links) were in the same traffic direction; otherwise, like  $d_F^-$  and  $d_T^+$ , 7 the two crashes were in the opposite traffic directions. Additionally, one can also determine 8 whether  $c_{test}$  happened upstream or downstream of  $c_{base}$ . For instance,  $c_{test}$  happened upstream of 9  $c_{base}$  if  $d_T^+$  or  $d_T^-$  is the final distance (when the test crash direction follows the bolded route); 10 otherwise,  $c_{test}$  happened downstream of  $c_{base}$  (when the test crash direction departs the bolded 1 1

$$d(c_{base}, c_{test}) = min(d_F^+, d_T^-, d_F^-, d_T^-)$$

$$(3)$$

$$d_F^+ = x_{RS_{test}}^+ - os_{base} + os_{test} \tag{4}$$

$$d_T^+ = x_{R_{test}}^+ - os_{base} + (l_{test} - os_{test})$$
(5)

$$d_F^- = x_{RS_{test}^{from}} + os_{base} + os_{test}$$
(6)

$$d_{T}^{-} = x_{RS_{test}}^{-} + os_{base} + (l_{test} - os_{test})$$
(7)
where,

 $d(c_{base}, c_{test})$  = The network distance between  $c_{base}$  and  $c_{test}$ , mile;

- $d_F^+$  = A possible distance via  $RS_{test}^{from}$  forward coordinate, mile;
- $d_T^+$  A possible distance via  $RS_{test}^{to}$  forward coordinate, mile;
- $d_F^-$  A possible distance via  $RS_{test}^{from}$  backward coordinate, mile;
- $d_T^-=$  A possible distance via  $RS_{test}^{to}$  backward coordinate, mile;

$$x_{RS_{test}}^{+}$$
 Forward coordinate of  $RS_{test}^{from}$ , mile

$$x_{RS_{tot}}^{-}$$
 Backward coordinate of  $RS_{test}^{from}$ , mile;

- $x_{RS_{tot}}^{+}$  = Forward coordinate of  $RS_{test}^{to}$ , mile;
- $x_{RStot}^{-}$  = Backward coordinate of  $RS_{test}^{to}$ , mile;
- $os_{base}$  = Link offset of  $c_{base}$ , mile;
- $os_{test}$  = Link offset of  $c_{test}$ , mile;

$$l_{test}$$
 = Length of the test link, mile







# 3 Candidate Link

4 In the previous section, every link is assumed to be tested against the base link. However, 5 given a particular spatial threshold of D miles, a test link too far away from the base link is 6 irrelevant to finding the near-by crash pairs. Only those links whose relationship vectors satisfy a certain condition may contain crashes within D miles of the base link crashes. In fact, the 7 condition is as simple as  $\min\left(x_{RS_{test}}^+ - l_{base}, x_{RS_{test}}^- - l_{BS_{test}}^- - l_{BS_{test}}^- - l$ 8 is the length of the base link. Links satisfying this condition are called candidate links and form a 9 10 relatively small and relevant portion of the network (when D is relatively small). The two passes of Dijkstra's traversal can stop expansion as early as any further RS to be reached has a forward 11 coordinate larger than  $l_{base} + D$  and a backward coordinate larger than D. Then, all links 12 13 connected to the already reached RS's are all the candidate links.

### 14 **The Algorithm**

Below is the pseudo code of the proposed crash pairing algorithm.  $L_{base}$  is assumed to be a preprocessed set of links containing at least one crash. The statement "find all candidate links" refers to the preparation of the relationship vectors for all candidate links in the LLCS as described in the above sections. t(\*) is the function of getting the time of a crash in minutes since a consistent time origin. *T* and *D* are the static thresholds in minutes and miles, respectively. It should be noted that the recorded time of crash could be slightly different from the time when the crash actually occurred. However, the authors do not expect it to have a significant impact on the results since a large time threshold of 5 hours was used. The statement "calculate  $d(c_{base}, c_{cand})$ " refers to Equations 3-7.

|    | 1   |
|----|---|
| 6  | For each $lk_{base}$ in $L_{base}$ :                          |
| 7  | Find all candidate links of $lk_{base}$ as a set $L_{cand}$ ; |
| 8  | For each candidate link $lk_{cand}$ in $L_{cand}$ :           |
| 9  | For each crash $c_{base}$ in $lk_{base}$ :                    |
| 10 | For each crash $c_{cand}$ in $lk_{cand}$ :                    |
| 11 | If $0 \leq t(c_{cand}) - t(c_{base}) \leq T$ :                |
| 12 | Calculate $d(c_{base}, c_{cand});$                            |
| 13 | If $d(c_{base}, c_{cand}) \leq D$ :                           |
| 14 | Add ( $c_{base}$ , $c_{cand}$ ) as a pair in the result;      |
|    |   |

#### 15

A special case should be treated differently. As illustrated in Figure 1, the longitudinal 16 17 distance between crash B and crash C was only 0.15 miles while they occurred on opposite sides 18 of the same highway. However, relying only on the network traversal of links, the resulting distance will go around RS<sub>14</sub> and be calculated as 0.25 miles. Such unrealistic result is not 19 20 desirable. In order to overcome this limitation, additional information from the STN were 21 employed. An STN table of route-links is used to aid the links with their physical meanings. 22 Each record in the route-link table tells which highway a link belongs to in what direction. All 23 links on the other side of the same highway are considered candidate links of the base link. When 24 calculating the distance between a crash on the base link and a crash on the other side of the 25 highway, the algorithm calculates the cumulative distances from the two crashes to a far upstream/downstream shared RS on the highway. The difference between these two cumulative 26 27 distances is considered the distance between these two crashes. Additionally, when a shared RS could not be found, the algorithm further utilize another set of highway reference locations, 28 29 reference points (RP). Each RP has its on-highway number, on-highway direction, RP number, 30 and RP letter. If two RP's have the same on-highway number, RP number, and RP letter, they correspond to the same longitudinal position on the highway, even with different on-highway 31 32 directions. Additionally, each RP, like a crash location, has a linear reference that maps it on to a 33 link. Based on the above input, if two links on opposite sides of the same highway contains RP's 34 with the same RP number and RP letter, there is a shared longitudinal position between them. 35 Thus, instead of looking for a shared RS, the algorithm looks for a shared longitudinal position 36 based on RP's.

#### 37 Validation

38 The pairing algorithm was implemented as a Java program. The program passed several small

- 39 independent tests (e.g., the entire stretch of a particular highway in STN with crashes of several
- 40 days) with manual extracted ground truths. In order to further validate the accuracy and the

1 efficiency of the algorithm, a large scale network was tested. Since the ground truth in the large 2 scale test was infeasible to be manually extracted, a relatively reliable ArcGIS based program 3 was used as a mutual validation reference. The basic idea of the ArcGIS based program is to 4 prepare a network dataset using the STN shapefile and the crash shapefile and use the buffer 5 function of the NetworkAnalyst toolbox to find, for each crash, every other crash that is within a 6 buffer network distance (the spatial threshold) from that crash. The ArcGIS based program was 7 implemented in C++ using the ArcGIS APIs. Due to the unavailability of control over the buffer 8 function of the NetworkAnalyst toolbox, the ArcGIS based program was similar to the naïve 9 algorithm of traversing the network for every pair of crashes, which provided the authors a 10 chance to compare the efficiencies.

11 Both the pairing algorithm and the ArcGIS based program were tested on 10,922 crashes 12 from a freeway network of about 1,500 total miles in Wisconsin in 2010, with D = 10 miles and 13 T = 5 hours. The pairing algorithm yielded 15,901 crash pairs while the ArcGIS based program yielded 13,850 crash pairs. Both systems captured the same 13,594 crash pairs. The ArcGIS 14 15 based program captured 256 extra pairs, which were later found to be missed by the pairing algorithm due to computer precision problems and did not hurt the validity of the pairing 16 17 algorithm. The pairing algorithm captured 2,307 extra pairs which were correct output but 18 missed by the ArcGIS based program. In summary, the pairing program correctly identified more 19 crash pairs than the ArcGIS based program. In addition, the ArcGIS based program finished the 20 analysis in two and a half days while the pairing algorithm finished in about 2 hours (30 times 21 faster).

# 22 SECOND PHASE: CRASH PAIR FILTERS

For the purpose of identifying secondary crashes, the pairing algorithm produces an initial searching set, which without additional filtering could be too vast to be useful. Two filters are proposed below as to select out crash pairs that are more likely to capture primary-secondary relationship.

# 27 Ramp Filter

28 A crash pair resulting from the proposed algorithm will be excluded if its former crash 29 happened on a highway on-ramp or a highway off-ramp. A crash is determined to be on a ramp if 30 the link on which it happened represents a portion or entire segment of a ramp. The rationale 31 behind this filter is that ramp crashes rarely caused secondary crashes. To evaluate this 32 assumption, 85 sample crash pairs whose former crashes happened on ramp were selected and 33 verified. One or two crash pairs were randomly sampled from each 1-hour-5-mile intervals of the 34 5-hour-10-mile thresholds. Manual review showed that none of the 85 samples contained a 35 primary-secondary pair. Although one crash pair involved two secondary crashes, but they were not related to each other; in addition, these two secondary crashes were captured by the actual 36 37 primary-second pairs whose primary crashes were not on ramps.

# 38 Impact Area Filter

As mentioned in the literature review, crash pairs resulted from static thresholds could contain false primary-secondary pairs. These false pairs generally have unreasonable combinations of time distance and spatial distance. For example, a candidate pair whose time distance is 0 minutes but the spatial distance is 5 miles is certainly not a primary-secondary crash pair. Since secondary crashes have been recognized to be in the queue caused by the primary

1 incidents, queue theories were commonly used to establish the time-varying impact area of the 2 primary incidents to identify secondary crashes (13, 14, 18-29). Comparison of various queue 3 estimation methods can be found in more general traffic research papers (34, 35). Based on the 4 literature review, none of the previous secondary crash studies used the shockwave model to 5 estimate the impact area (IA) caused by a primary incident. In the current study, the IA of a crash 6 is defined between two simplified straight shockwave lines, one for the queuing shockwave and 7 the other for the discharging shockwave (Figure 3). Mathematical representation to judge if a 8 crash fell into the IA of another is given in Equations 8 through 10. Traffic flow of the prevailing 9 traffic condition  $(q_1)$  is the monthly average hourly traffic volume provided by the TRADAS detectors, with the same day of week and the same hour of day as the former crash. If the later 10 crash happened outside the IA and its parallel portion on the opposite traffic direction of the 11 former crash, the crash pair will be excluded. On the other hand, secondary crashes could happen 12 13 in the vicinity of the primary incident during its clearance. This type of secondary crashes was typically attributed to the "rubbernecking" effect (8, 36). In order to capture these secondary 14 15 crashes, a crash pair whose spatial distance (upstream or downstream in either traffic direction) 16 was no larger than 1 mile and whose temporal distance was no large than 1 hour should be 17 reserved even if it does not satisfy the IA requirement.

$$a_{2} \times (t - t_{clearance}) \le d \le a_{1} \times t$$

$$a_{1} = (q_{2} - q_{1})/(k_{2} - k_{1})$$

$$a_{2} = (q_{3} - q_{2})/(k_{3} - k_{2})$$
(10)

where,

*t*= The time between the former crash and the later crash, hour;

 $t_{clearance} = 1$  hour (the simplified crash clearance time);

*d*= The network distance between the two crashes, mile;

- $a_1$  = The queuing shockwave speed, mile/hour;
- $a_2$  = The release shockwave speed, mile/hour;
- $q_1$ = The traffic flow of the prevailing condition, veh/hr/ln;
- $k_1$ = The density of the prevailing condition, veh/mile/ln. As a simplification, 65 mile/hr is assumed as the prevailing speed, and  $k_1 = q_1/65$ ;
- $q_2$ = 0 veh/hr/ln (the traffic flow of the jam condition);
- $k_2$ = 352 veh/mile/ln (the density of the jam condition, assuming 15 feet minimum head to head distance between vehicles);
- $q_3$ = 1900 veh/hr/ln (the traffic flow of the saturated condition);
- $k_3$ = 1900/65veh/mile/ln (the density of the saturated condition).

18



FIGURE 3 Illustration of an impact area.

# 3 CASE STUDY

1 2

4 A case study was performed on crashes happened on approximately 1,500 miles of 5 freeways in Wisconsin for the year 2010. The layout of these freeways in relation to the entire 6 STN network was illustrated in the upper-right area of Figure 4. Although the case study only 7 used crashes happening on these freeways, the calculation of network distances was not 8 subjected to these freeways, but instead, relied on the entire STN network. A total of 12,513 raw 9 input crashes were retrieved for year 2010, the last five hours of 2009, and the first five hours of 10 2011. The inclusion of five hours into the previous year and the next year corresponds to the selected 5 hour temporal threshold so crash pairs crossing the new year's boundary could be 11 12 captured. The workflow and the resulting reduced data in each step are summarized in the left 13 area of Figure 4.

14 Before applying the pairing algorithm, the raw input crashes were first reduced based on 15 a focused study scope that excluded inclement weather conditions and deer crashes. In Wisconsin, a large portion of crashes were related to inclement weather during the winter. For example, in 16 17 January 2010, 1,520 of 3,592 crashes (about 42%) on Wisconsin state trunk highways occurred 18 during or after snow or rain. Some circumstances such as successive run-off-road crashes in 19 snow storms and back-to-back rear-end crashes due to slippery or icy roads were recognized to 20 contribute to secondary crashes. However, weather is out of the control of TIM agencies. Since 21 the current research is focused on secondary crashes that are more likely to be prevented by 22 effective TIM, inclement weather related crashes were not included in this study, but the authors 23 intend to study them separately in the future. For a similar reason, deer crashes (about 20% of all crashes) were excluded from the study. As a result, 7,034 crashes remained as the input to the 24 25 proposed algorithm.

26 Conservative thresholds of 10-mile-5-hour were used for the first phase (crash pairing).

13

2 static thresholds used in the literature and supersede all actual temporal-spatial ranges of 3 primary-second pairs found by existing studies (3-5, 9-14, 16-29). Thus, using even larger 4 thresholds is unlikely to include more actual primary-secondary crash pairs. The pairing 5 algorithm generated 8,665 crash pairs (4,231 distinct crashes). The second phase (crash pair 6 filtering) further reduced the number of crash pairs down to 1,012 (88.3% reduction). Up to this 7 point in the analysis, all computations were completed automatically within 2 hours. The 8 resulting 1,012 crash pairs for manual review only contained 1,347 distinct crashes. Compared to 9 the initial input of 7,034 crashes, the review effort was saved by 81%.

10 Secondary crashes and their corresponding primary incidents were confirmed through manual review of police reports. An estimate of 30 man-hours was used in reviewing the 1012 11 12 candidate crash pairs, averaged to nearly 2 man-minutes per crash pair. Potential employment of 13 ORC (optical character recognition) and artificial intelligence may help to further minimize the 14 reviewing time in the future. A crash was classified as a secondary crash only when its report 15 explicitly referred to a previous crash. This criterion might have resulted in fewer than the actual 16 secondary crashes, but ensured the confidence of further analyses on the resulting secondary 17 crashes. Primary incidents were identified only if they could be matched, by either document 18 number or other key descriptions, to those referred by the secondary crashes. According to these 19 criteria, a total of 79 crash pairs were found to contain secondary crashes. The number of distinct 20 secondary crashes was also 79. Among the 79 pairs, 67 captured the primary incidents.

21 Preliminary analyses were conducted on the resulting primary-secondary pairs and 22 secondary crashes. Among the 67 primary-secondary pairs, 52 secondary crashes (77.6%) 23 happened in the same traffic direction as the primary crashes and the average spatial and 24 temporal distances were 1511 feet and 15.7 minutes, respectively; 15 secondary crashes (22.4%) 25 happened in the opposite traffic direction of the primary crashes and the average spatial and 26 temporal distances were 1264 feet and 18.2 minutes, respectively. Among the 79 secondary 27 crashes, 44 were two-vehicle rear-ends (55.7%), 12 were multiple-vehicle rear-ends (15.2%), 13 28 were sideswipes (16.5%), 5 were hitting debris (7.3%), 2 were angles (2.5%), 2 involved squad 29 vehicles on primary crash scenes (2.5%), and 1 was losing control (1.3%).





FIGURE 4 Summary of the case study of year 2010.

# **CONCLUSION, RECOMMENDATION, AND FUTURE WORKS**

Secondary crashes are known to prolong the non-recurrent congestion caused by the primary freeway incidents. The benefit of reducing secondary crashes has also been found to exceed the TIM countermeasures such as freeway patrol services. However, research of secondary crashes on large regional transportation systems was limited. The current study contributes to the research community with the following efforts and findings:

- An efficient crash pairing algorithm was developed to extract spatially and temporally near-by (up to custom static thresholds) crash pairs from a large scale regional transportation system. The accuracy and efficiency of this algorithm were validated.
- Two effective filters were proposed to select crash pairs that were more likely to capture primary-secondary relationships. The first filter restricts the primary incidents on mainline highways. The second filter restricts the secondary crashes to be within the dynamic impact areas of the primary incidents. Shockwave theory is first used by the current study to estimate the dynamic impact area of a primary incident.
- A two-phase procedure consisting of the above pairing algorithm and filters automatically narrows down the searching space for secondary crashes in a large regional transportation system. While the procedure is based on the commonly used linear referencing system for crash localization, any transportation system with similar data representation can be analyzed with the procedure. A manual review of the effectively narrowed search space is required.
- 21 A case study for crashes occurring in 2010 on about 1,500 miles of Wisconsin freeways • was conducted. From the crash pairs extracted using the two-phase procedure, 79 22 23 secondary crashes were confirmed via careful manual review of police reports. Secondary 24 crashes happened in the same traffic direction of the primary incidents were about three 25 times of those occurred in the opposite direction. Two-vehicle rear-ends, multiple-vehicle 26 rear-ends, and sideswipes were three major types of secondary crashes (over 85%). Other 27 crash types, such as hitting debris, angle, losing control, and striking squad vehicles were 28 also observed.

29 Three major future works are recommended. First, to make the whole workflow of 30 secondary crash identification more automatic, optical character recognition (OCR) and artificial intelligence (AI) might be employed to assist human reviewers in reviewing police reports. 31 32 Second, more years of data need to be collected to establish a larger sample of secondary crashes 33 for more comprehensive statistical analyses. Last but not least, crashes in inclement weather 34 were not included in this analysis because the objective was to analyze secondary crashes that 35 can be mitigated by TIM strategies. The authors realize that secondary crashes occur in 36 inclement weather and recommend that future studies should examine the impact of weather on 37 secondary crashes.

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